



香港中文大學

The Chinese University of Hong Kong

CSCI2510 Computer Organization

Tutorial 07: Subroutine in MASM

Bentian Jiang

btjiang@cse.cuhk.edu.hk

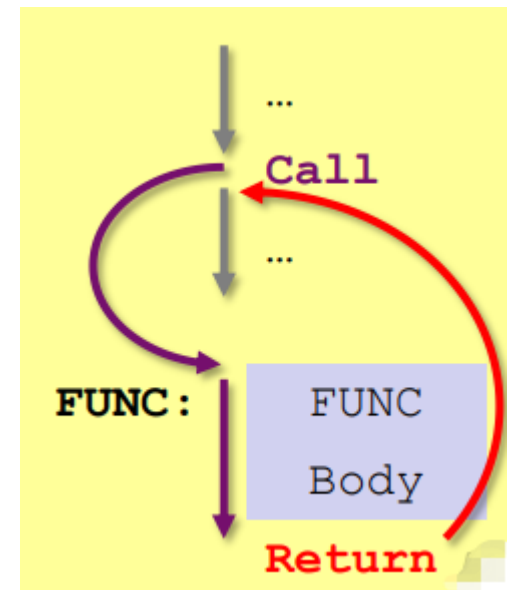


- Subroutine Revisited
- Stack Frame
- Greatest Common Divisor

Subroutine Review



- Basic concepts:
 - When a program branches to a subroutine we say that it is **calling** the subroutine.
 - After a subroutine calling, the subroutine is said to **return** to the program that called it.
 - Continuing immediately after the instruction that called the subroutine.
 - Provision must be made for returning to the appropriate location.
 - the contents of the PC must be saved by the call instruction to enable correct return to the calling program



Why Subroutine?



- Divide/Decrease and conquer
- Reuse codes
- Make variable namespace clean

Divide/Decrease and conquer

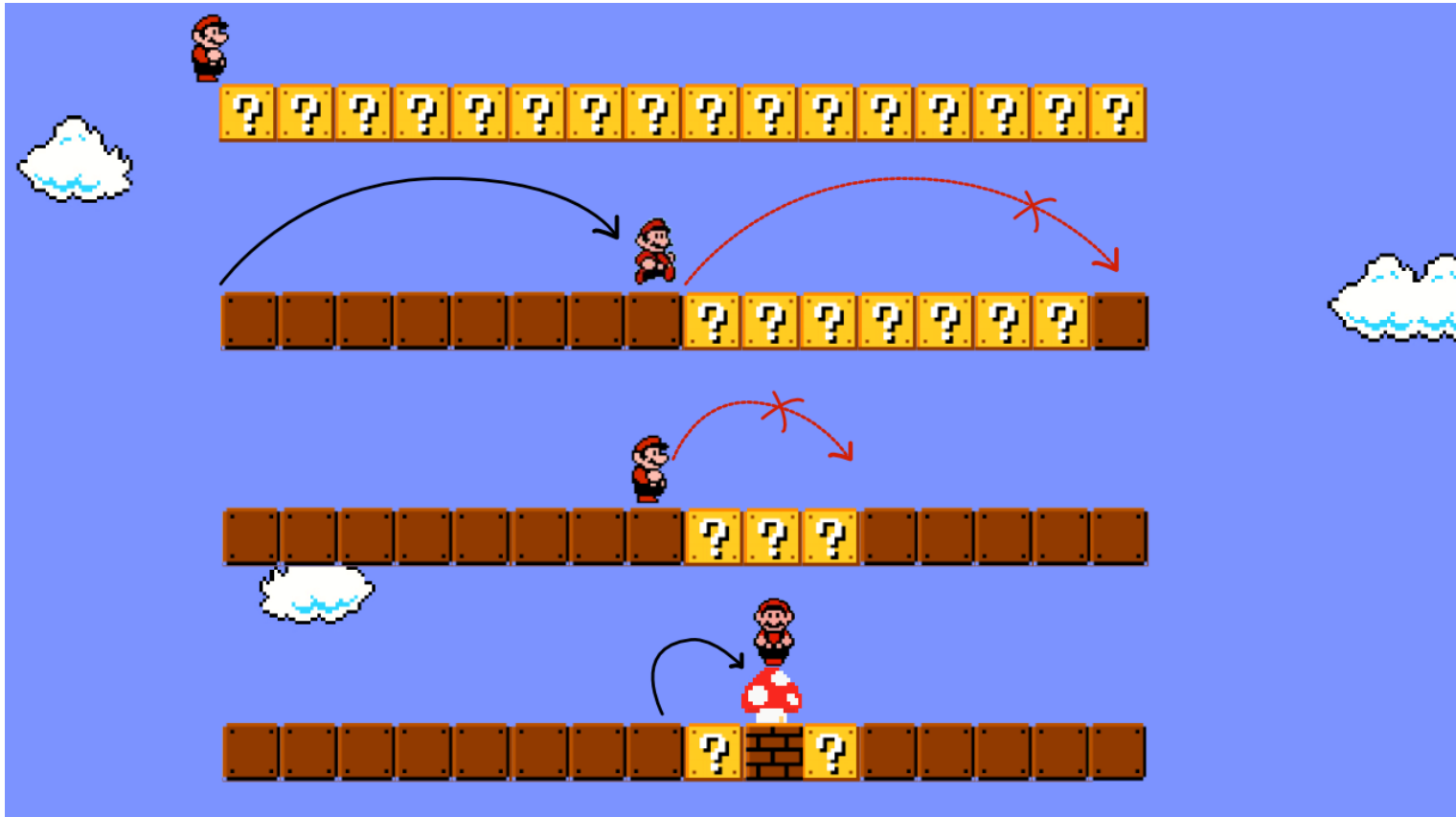


- Philosophy of multi-branched **recursion**
- A divide/decrease and conquer algorithm works by
 - Divide: **recursively breaking down** a problem into two or more sub-problems of the same or related type, until these become simple enough to be solved directly.
 - Conquer: independently solve each sub-problem.
 - Combine (**for divide and conquer**): the solutions to the sub-problems are **combined** to give a solution to the original problem.
- E.g.: (1) Binary search (2) Merge sort (3) Greatest common divisor, etc...

Examples



- Binary search: decrease and conquer algorithm

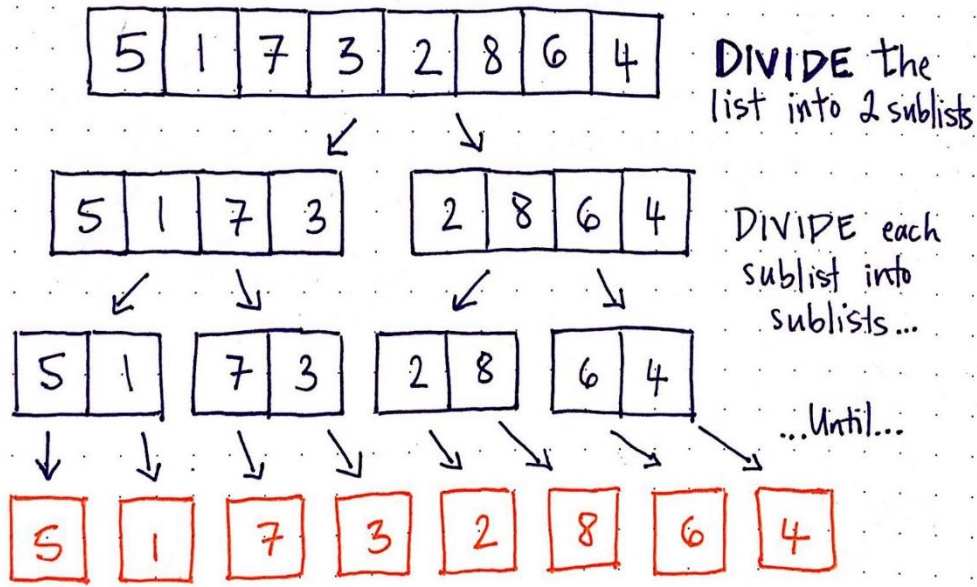


Ref: <https://www.topcoder.com/blog/binary-stride-a-variant-on-binary-search/>

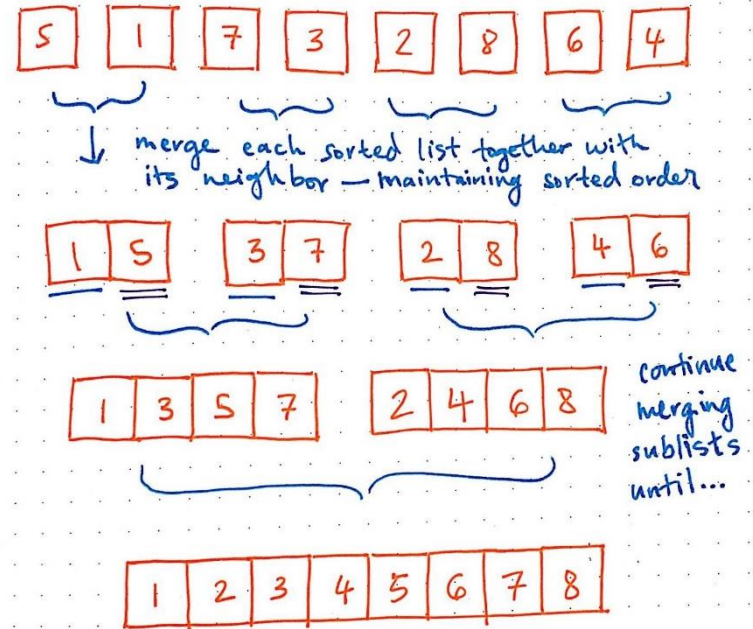
Examples



- Merge sort: divide and conquer algorithm



each & every sublist is sorted!
→ remember: a list with one item is a sorted list!



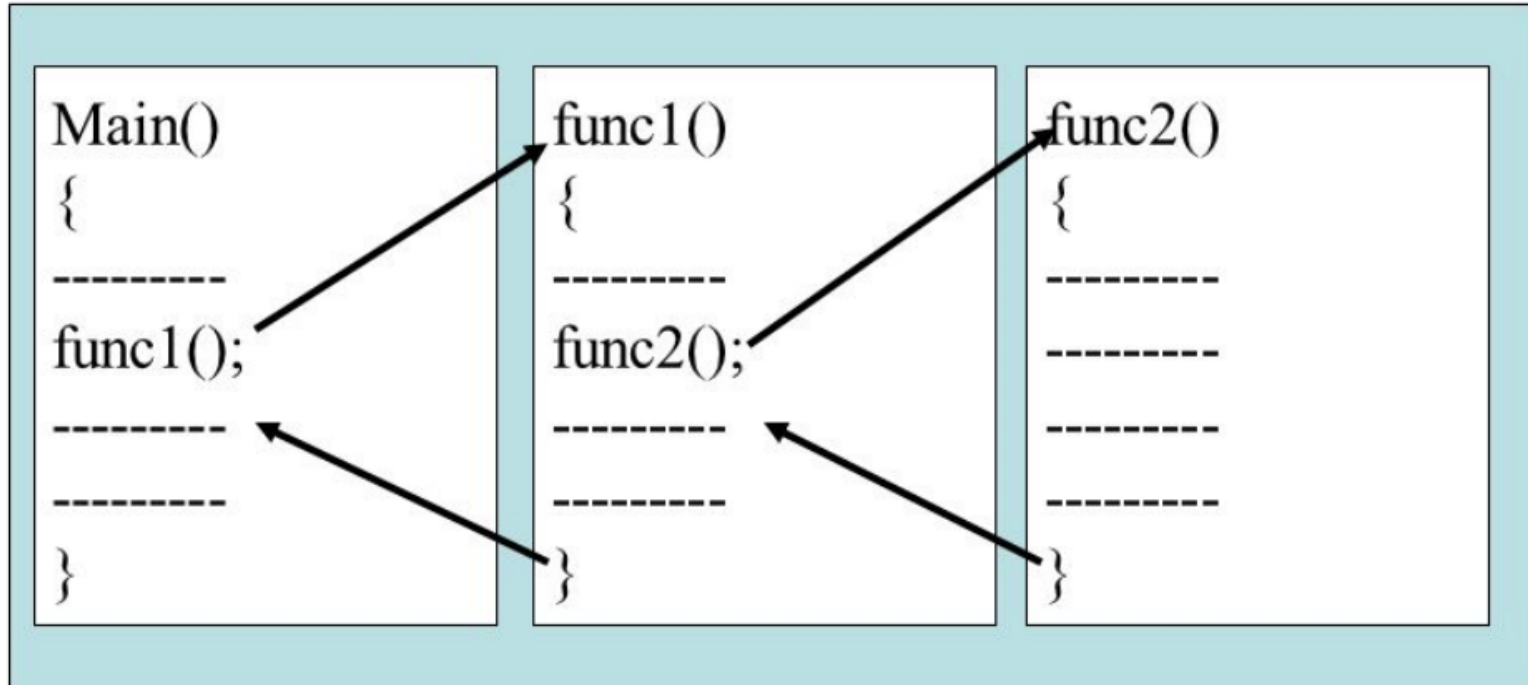
there is only one part left:
the sorted list, merged together!

Ref: <https://medium.com/basics/making-sense-of-merge-sort-part-1-49649a143478>

Stack Frame Revisited



- Think about we want to implement following function:

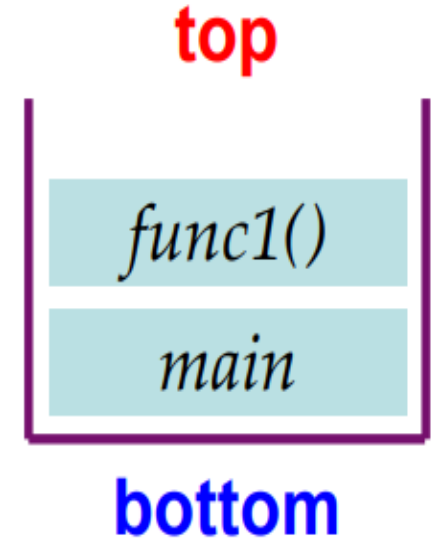
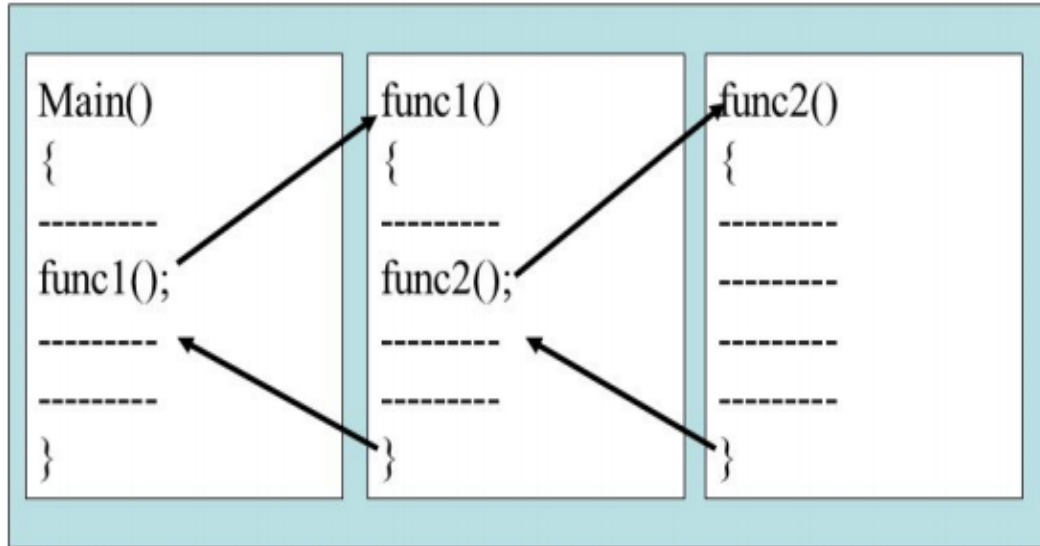


- Observation: the return address needed for the first return is the last one generated in the nested calls.
 - Last-in–first-out (LIFO) order -> Stack

Stack Frame Revisited



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- Observation: the return address needed for the first return is the last one generated in the nested calls.
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Stack Frame Revisited



- Processor **stack** is useful to store subroutine linkage

Main program

```

:
2000 PUSH PARAM2      Place parameters on stack.
2004 PUSH offset PARAM1
2008 CALL SUB1
2012 POP [RESULT]     Store result.
2016 ADD ESP, 4       Restore stack level.
2020 next instruction
:

```

First subroutine

```

2100 SUB1: PUSH EBP      Save frame pointer register
2104      MOV EBP, ESP   Load the frame pointer
2108      PUSH R0, R1, R2, R3  Save registers (Abbreviated!)
...      MOV R0, 8[EBP]   Get first parameter.
          MOV R1, 12[EBP]  Get second parameter.
:
          push PARAM3    Place a parameter on stack.
2160      CALL SUB2
2164      POP R2         Pop SUB2 result into R2.
:
P1:      MOV 8[EBP], R3   Place answer on stack.
          POP R3, R2, R1, R0
          POP EBP
          RET

```

Second subroutine

```

3000 SUB2: PUSH EBP      Save frame pointer register
          MOV EBP, ESP   Load the frame pointer

          PUSH R0, R1    Save registers (Abbreviated!)
          MOV R0, 8[EBP]  Get the parameter.
:

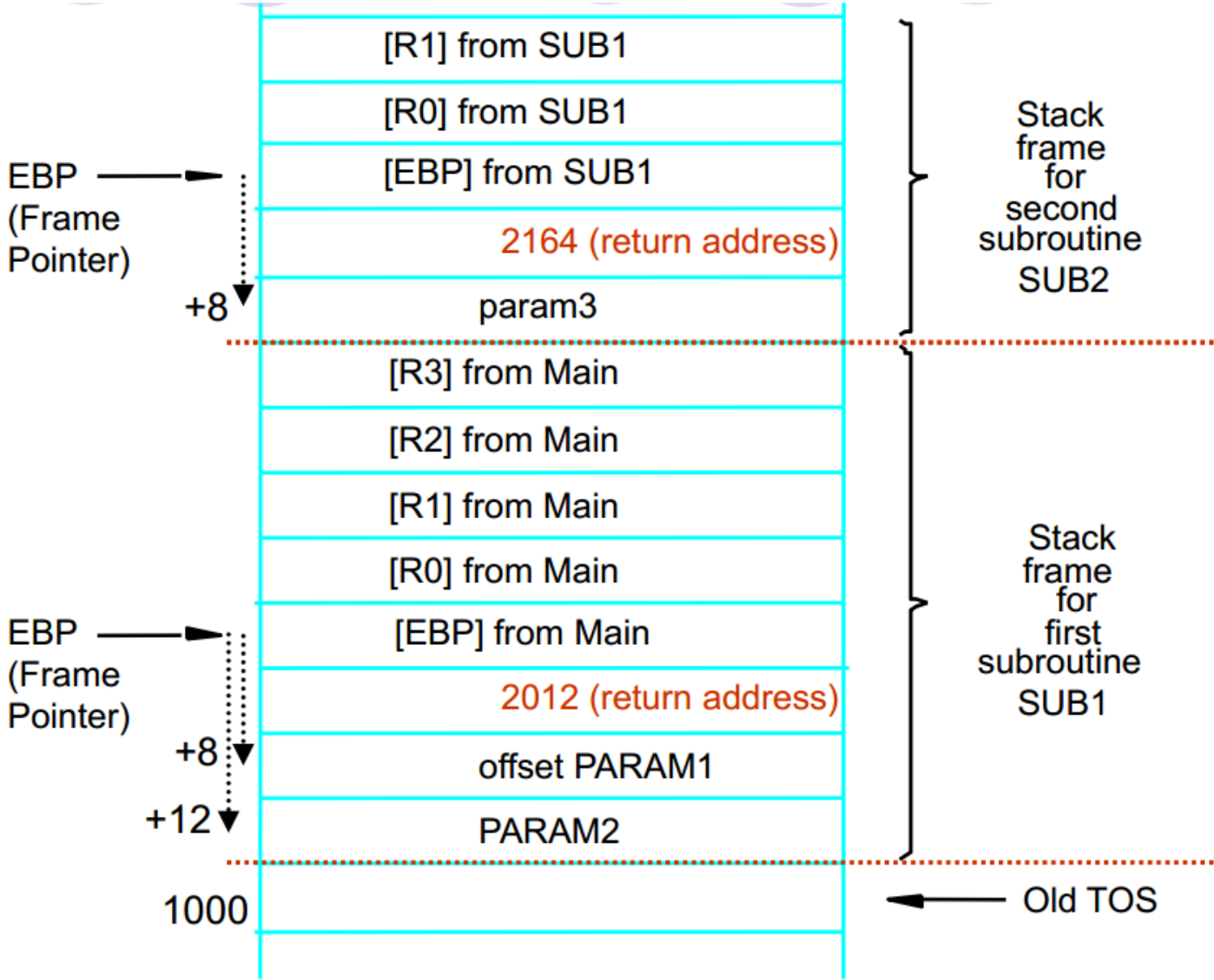
          MOV 8[EBP], R1  Place SUB2 result on stack.
          POP R1, R0     Restore registers (Abbreviated!)

          POP EBP        Restore frame pointer register.
          RET            Return to SUB1.

```

Standard form!

Stack Frame Revisited



Stack Frame Revisited



- Conservation of stack level:
 - The major concern is the value of ESP, it is always modified by PUSH and POP instructions.
- Preservation of registers' contents
 - Save and restore the registers' contents before and after they are used for other purposes
 - E.g. in a procedure call

Greatest Common Divisor



- In mathematics, the greatest common divisor (GCD) of two or more integers, when at least one of them is not zero, is the largest positive integer that divides the numbers without a remainder.
- E.g., $\text{GCD}(60, 36) = 12$.
- You can definitely enumerate all divisors of each number and then pick up the largest common one, but it's not efficient enough.

Euclid's Algorithm



- A simple way to find GCD is to factorize both numbers and multiply common factors.

$$\begin{aligned} 36 &= 2 \times 2 \times 3 \times 3 \\ 60 &= 2 \times 2 \times 3 \times 5 \end{aligned}$$

$$\begin{aligned} \text{GCD} &= \text{Multiplication of common factors} \\ &= 2 \times 2 \times 3 \\ &= 12 \end{aligned}$$

- Recursive algorithm:
 - $\text{gcd}(a, 0) = a$
 - $\text{gcd}(a, b) = \text{gcd}(b, a \bmod b)$
 - E.g., $\text{gcd}(48, 18) = \text{gcd}(18, 12) = \text{gcd}(12, 6) = \text{gcd}(6, 0) = 6$
- Question: what is the implementation in C/C++?

Euclid's Algorithm



- Euclid's Algorithm in C/C++

```
int GreatestCommonDivisor(int a, int b)
{
    if (a < b)
    {
        int temp = a;
        a = b;
        b = temp;
    }
    if (b == 0)
        return a;
    else
        return GreatestCommonDivisor(b, a % b);
}
```

- 4 parts: (1) main func of gcd (2) func of check order (3) func of divide recursively (4) how to end

Euclid's Algorithm in MASM



- Complete the Euclid's algorithm in MASM:

- Hints:

- Complete (2) (3) (4) as separate functions
- for “div src”
- $EAX = EDX:EAX / src$
- $EDX = EDX:EAX \% src$

```
gcd proc
    push ebp
    mov ebp, esp
    push ebx
    push eax
    mov eax, 8[ebp]
    mov ebx, 12[ebp]
```

```
; Fill here!
; Put the result in ecx
```

```
return:
    pop eax
    pop ebx
    pop ebp
    ret
gcd endp
```

Euclid's Algorithm in MASM



```
gcd proc
    push ebp
    mov ebp, esp
    push ebx
    push eax
    mov eax, 8[ebp]
    mov ebx, 12[ebp]

    xor edx, edx
    idiv ebx          ; edx = a % b
    push ebx
    push edx
    call gcd
    add esp, 8
    jmp return

order:
    cmp eax, ebx
    jge divide
    mov ecx, eax     ; a < b
    mov eax, ebx
    mov ebx, ecx

divide:              ; a >= b
    cmp ebx, 0
    je base

base:
    mov ecx, eax

return:
    pop eax
    pop ebx
    pop ebp
    ret
gcd endp
```

Euclid's Algorithm in MASM



- Actually there is a direct implementation of GCD, why still using subroutine?

- What if you want to find GCD of 4 integers? Is that easy to modify with this implementation? NO!

```
start:
    invoke crt_printf, addr PrintFormat1
    invoke crt_scanf, addr ScanFormat, addr Int1
    invoke crt_printf, addr PrintFormat2
    invoke crt_scanf, addr ScanFormat, addr Int2
    mov eax, Int1
    mov ebx, Int2

order:
    cmp eax, ebx
    jge divide
    mov ecx, eax    ; a < b
    mov eax, ebx
    mov ebx, ecx

divide:                ; a >= b
    cmp ebx, 0
    je output
    xor edx, edx
    idiv ebx         ; edx = a % b
    mov eax, ebx     ; a = b
    mov ebx, edx     ; b = a % b
    jmp order

output:
    invoke crt_printf, addr PrintFormat3, Int1, Int2, eax
    invoke ExitProcess, NULL
end start
```



- Benefits of subroutine/function again:
 - Divide and conquer
 - Reuse codes
 - Make variable namespace clean
- Exercise: use the “subroutine” we just define to get the GCD of 4 integers.
- $\text{GCD}(a, b, c, d) = \text{GCD}(a, \text{GCD}(b, \text{GCD}(c, d)))$



- Subroutine Revisited
- Stack Frame
- Greatest Common Divisor